## EHHzürich



Byzantine Agreement with Unknown Participants and Failures

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## Byzantine Agreement

Required: Agreement, Termination, Validity

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Assumption: Participants know $n$ and $f$

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## BA with Unknown $n \& f$

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Synchronous



B 0

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## Synchronous


$B$

## BA with Unknown $n \& f$



Synchronous
Broadcast

## BA with Unknown $n \& f$



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## Equivalent Thresholds

$$
\begin{gathered}
n-f=>2 n / 3 \\
n-2 f=>n_{v} / 3 \\
n_{v}=\text { number of nodes that } v \text { heard from }
\end{gathered}
$$

# Agreement without Termination 

In each round
Broadcast $m$ if received $n_{v} / 3$ copies of $m$.
Accept $m$ if received $2 n_{v} / 3$ copies of $m$.

## Termination when $n \& f$ are known

 Electing a correct leader (king)

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Round 2

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Round 2

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IDs not consecutive
Round 1: select smallest ID as leader

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IDs not consecutive
Round 2: select $2^{\text {nd }}$ smallest ID as leader

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## Termination when $n \& f$ are not known

 Electing a correct leader (king)

IDs not consecutive
Round $i$ : select $i^{\text {th }}$ smallest ID as leader

## Summary

Optimal resiliency of BA $n>3 f$ even w/o knowledge of $n \& f$

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Optimal resiliency of BA $n>3 f$ even w/o knowledge of $n \& f$ Asynchrony makes it impossible Semi-synchrony ? Dynamics ?

